### Intermediate Algebra Skill Builder # PF – 6B Factoring Quadratic Trinomials with Leading Coefficient Different from 1 ac – Method: BOTTOMS – UP

A quadratic trinomial with leading coefficient different from 1 looks like

$$ax^2 + bx + c$$
.

To factor such a trinomial using the bottoms – up method:

<u>-54</u> = - <u>9</u>

48

8

- a. Find two numbers that multiply to *ac* and that add up to the middle coefficient *b*.
  b. Divide these two numbers by *a*.
- **c.** Reduce the resulting fractions.
- **d.** Do bottoms up.

## Examples

<u>7</u> = <u>56</u> 6 48

48

63

1. 
$$10x^2 + 47x + 42$$
  
Solution:  
 $47$   
 $35$   
 $12$   
 $5$   
 $12$   
 $10 \cdot 42$   
 $25 \cdot 17 \cdot 6$   
Divide 35 and 12 by 10 to get the fractions  $\frac{35}{10}$  and  $\frac{12}{10}$ .  
Reduce  $\frac{35}{10}$  and  $\frac{12}{10}$  to  $\frac{7}{2}$  and  $\frac{6}{5}$ .  
The fraction  $\frac{7}{2}$  gives the factor  $2x + 7$  (the "bottom" 2 became the coefficient of x).  
The fraction  $\frac{6}{5}$  gives the factor  $5x + 6$  (the "bottom" 5 became the coefficient of x).  
Thus, the factored form of  $10x^2 + 47x + 42$  is  $(2x + 7)(5x + 6)$ .  
2.  $48x^2 + 2x - 63$ 

 $\Rightarrow$  The factored form of  $48x^2 + 2x - 63$  is

(6x+7)(8x-9).

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Factor the given quadratic trinomial.

<b>1.</b> $15x^2 + 38x + 24$	2.	$24x^2 - 50x + 25$
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**3.**  $32x^2 + 52x - 45$  **4.**  $35x^2 + 48x - 27$ 

**5.**  $40y^2 - 37y - 63$  **6.**  $16y^2 - 62y + 55$ 

**7.**  $33t^2 + 67t - 56$  **8.**  $96t^2 + 116t - 65$ 

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### Answers

1.	(3x+4)(5x+6)	<b>5.</b> $(8y+7)(5y-9)$
2.	(4x-5)(6x-5)	6. $(2y-5)(8y-11)$
3.	(8x-5)(4x+9)	7. $(3t+8)(11t-7)$
4.	(7x-3)(5x+9)	8. $(12t-5)(8t+13)$

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